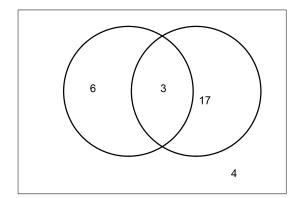
- 36(a). Brandon surveyed his classmates to see if they liked Action movies or Horror movies.
 - 9 people like Horror movies
 - 3 people like both Action movies and Horror movies
 - 4 people like neither type of movie
 - 20 people like Action movies

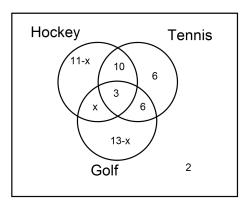
Draw a Venn diagram to determine how many people were surveyed.



30 people in total

3 36(b). 50 members of a sports club were surveyed:

Determine the number of people who play hockey **AND** golf but **NOT** tennis.



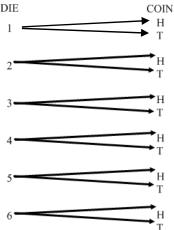
1 person

2 37(a). How many different arrangements of the letters MATHEMATICS are there?

$$\frac{11!}{2!2!2!} = \frac{39916800}{2 \times 2 \times 2} = \frac{39916800}{8} = 4989600$$

2 37(b). David rolls a fair die and flips a fair coin. Use a graphic organizer such as a tree diagram or table to illustrate all possible outcomes.

Students may set up something like the following or have another suitable graphic.



3 37(c). How many 6 person committees can be formed from a group of 4 teachers and 30 students if there must be at least 3 teachers?

$$({}_{4}C_{3} \times {}_{30}C_{3}) + ({}_{4}C_{4} + {}_{30}C_{2})$$

16240 + 435
16675

3 37(d). Algebraically solve for n: $_{n}P_{2} = 72$

$$_{n}P_{2} = 72$$

$$\frac{n!}{(n-2)!} = 72$$

$$\frac{n(n-1)(n-2)!}{(n-2)!} = 72$$

$$n(n - 1) = 72$$

$$n^2 - n - 72 = 0$$

$$(n - 9)(n + 8) = 0$$

$$n = 9$$
, $n = -8$ (reject)

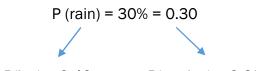
3 38(a). When considering the total arrangements of the letters of the word FLOAT, what is the probability of the vowels (O, A) being together?

of Possible Arrangements with conditions = 4! 2! = 48

Total Possibilities without conditions = 5!=120

Probability =
$$\frac{48}{120} = \frac{2}{5}$$

3 38(b). John likes to jog. If the weather is nice he is 80% likely to jog. If it is raining he is only 40% likely to jog. The forecast for tomorrow indicates a 30% chance of rain. What is the probability that he will jog tomorrow?



P (not rain) = 70% = 0.70

P(jog) = 0.40

P(not jog) = 0.60

P(jog) = 0.80

P(not jog) = 0.20

P (jog) = (Probability of Raining **AND** Probability of Jogging) **OR** (Probability of Not Raining **AND** Jogging)

$$P(jog) = (0.30 \times 0.40) + (0.70 \times 0.80) = 0.12 + 0.56 = 0.68$$

3 38(c). A recent survey indicated that 98% of all high school students in Newfoundland have a cell phone and of these students, 40% have an I-Phone. What is the probability of a student owning a cell phone that is not an I-Phone?

$$P(I|C) = 0.4$$

 $P(I'|C) = 0.6$

$$P(C \cap I') = P(C) \times P(I'|C) = 0.98 \times 0.6 = 0.588$$

3 39(a). Simplify and state the restrictions: $\frac{6x+30}{6+3x} \div \frac{3(x+5)}{x^2-4}$

$$\frac{6x+30}{6+3x} \bullet \frac{x^2-4}{3(x+5)}$$

$$\frac{6(x+5)}{3(2+x)} \bullet \frac{(x+2)(x-2)}{3(x+5)}$$

$$\frac{2(x-2)}{3} \\ x \neq -5, -2, 2$$

2 39 (b). Simplify: $\frac{4}{n-2} - \frac{3}{n+5}$, $n \neq 2, -5$

$$\frac{4}{n-2} \times \frac{n+5}{n+5} - \frac{3}{n+5} \times \frac{n-2}{n-2}$$

$$\frac{4 (n+5)}{(n-2)(n+5)} - \frac{3(n-2)}{(n-2)(n+5)}$$

$$\frac{4(n+5)-3(n-2)}{(n-2)(n+5)}$$

$$\frac{4n+20-3n+6}{(n-2)(n+5)}$$

$$\frac{n+26}{(n-2)(n+5)}$$